Errata of the volume

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Several errors and misprints have find their way in the text. In the next pages you find the errata-corrige for the errors known to the authors up to now.
We will be very grateful to anybody who wants to inform us about further errors or just misprints or wants to express criticism or other comments. Our e-mail addresses are

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Pisa and Firenze, September 14, 2005

Mariano Giaquinta

Giuseppe Modica

Page	Error	Correction
28_{14}	$= \sum_{i,j}(a_i b_j - a_j b_i)^2$	$= \sum_{i<j}(a_i b_j - a_j b_i)^2$
70_4	Karl Feuerbach (1800–1834)	Georg Peuerbach (1423–1461)
$239_{5,6}$	by the following ... Proposition 6.7	by Proposition 6.7
275_{11}	$== 1 - \frac{z}{2}$	$= 1 - \frac{z}{2}$
286^{10}	$\int_0^{+\infty} \frac{t}{1-e^{-t}}\,dt$	$\int_0^{+\infty} \frac{t\,e^{-tx}}{1-e^{-t}}\,dt$
286_5	$-\sum_{k=0}^{n}$	$-\sum_{k=0}^{n-1}$
286_5	$\frac{1}{x^{n+1}}$	$\frac{1}{x^n}$
286_5	$D^{n+1}f(t)$	$D^n f(t)$
286_4	$= \sum_{k=0}^{\infty}$	$=: \sum_{k=0}^{n-1}$
286_4	$\frac{r_n(x)}{x^{n+1}}$	$\frac{r_n(x)}{x^n}$
286_2	$\lvert D^{n+1}f(t)\rvert$	$\lvert D^n f(t)\rvert$
287^1	$O\Big(\frac{1}{x^{n+1}}\Big)$	$O\Big(\frac{1}{x^n}\Big)$
287^5	$D^k(t/(e^t-1)) = B_k$	$D^k\Big(\frac{t}{e^t-1}\Big)_{\lvert t=0} = B_k$
287^6	$\sum_{k=1}^{n-1}$	$\sum_{k=1}^{n}$
294_5	triangles by means	different ways in triangles by means
337_{14}	Karl Feuerbach (1800–1834)	
378_3		Georg Peuerback (1423–1461)
381_{11}	Catalan 's identity, 29	Catalan's – identity, 29 – numbers, 294
385^{20}		– Catalan, 294